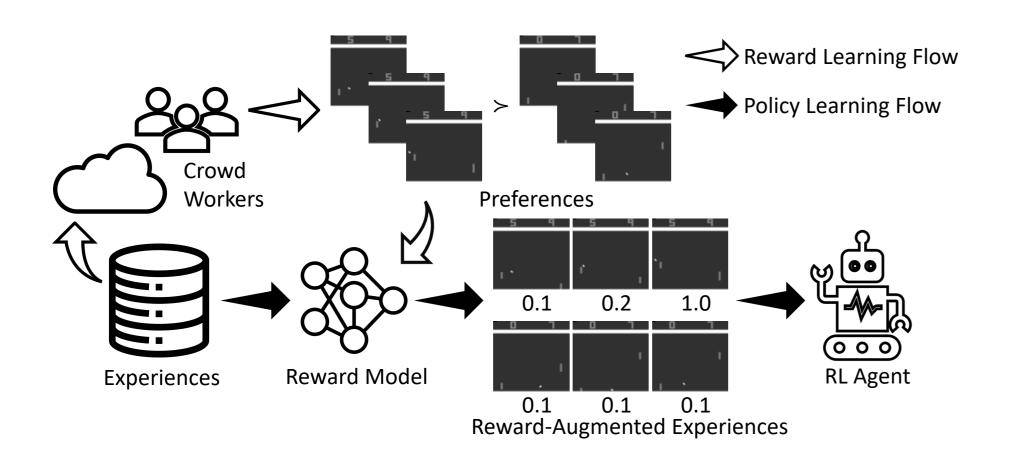
Batch Reinforcement Learning from Crowds

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Motivation

- Batch reinforcement learning (RL) relies on rewards to refine policies. For tasks without reward signals, one may learn a reward function from human preferences over experiences.
- This study investigates how to learn a reward function from nonexpert annotators, which allows for leveraging crowdsourcing for batch RL. The main challenge is **denoising**, as nonexpert annotators make mistakes in preferences.

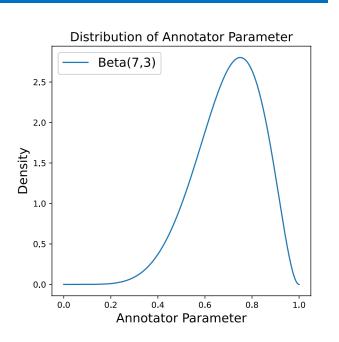


Learning

- Use ℓ_1 and ℓ_2 regularization, also regularize rewards toward zero by: $-\frac{1}{2N}\sum_i \sum_{k=1,2} \log(\sigma(G(\eta_{i,k}))) + \log(\sigma(-G(\eta_{i,k}))).$
- Initialize the reward network by fixing α_i to 0.99 and update the reward network using preferences.

Experiment

- Generate synthetic annotators with sampled parameters for the probability of reporting correct answer.
- The proposed model is compared with the Bradley-Terry (BT) model used by previous work on preference-based RL and majority voting (MV).





Model

This study proposes a probabilistic model named deep crowd-BT (DCBT) for learning a reward function from noisy preferences.

- $\eta_{i,1}$ and $\eta_{i,2}$ The two trajectories in the i^{th} preference sample.
- R(s, a) The reward function to be learned.

$$\sigma(\cdot)$$
 The sigmoid function $\sigma(x) = 1/(1 + \exp(-x))$.

- α_i The reliability of the preference label in the i^{th} sample.
- w_i The ID of the annotator who labeled the i^{th} sample.

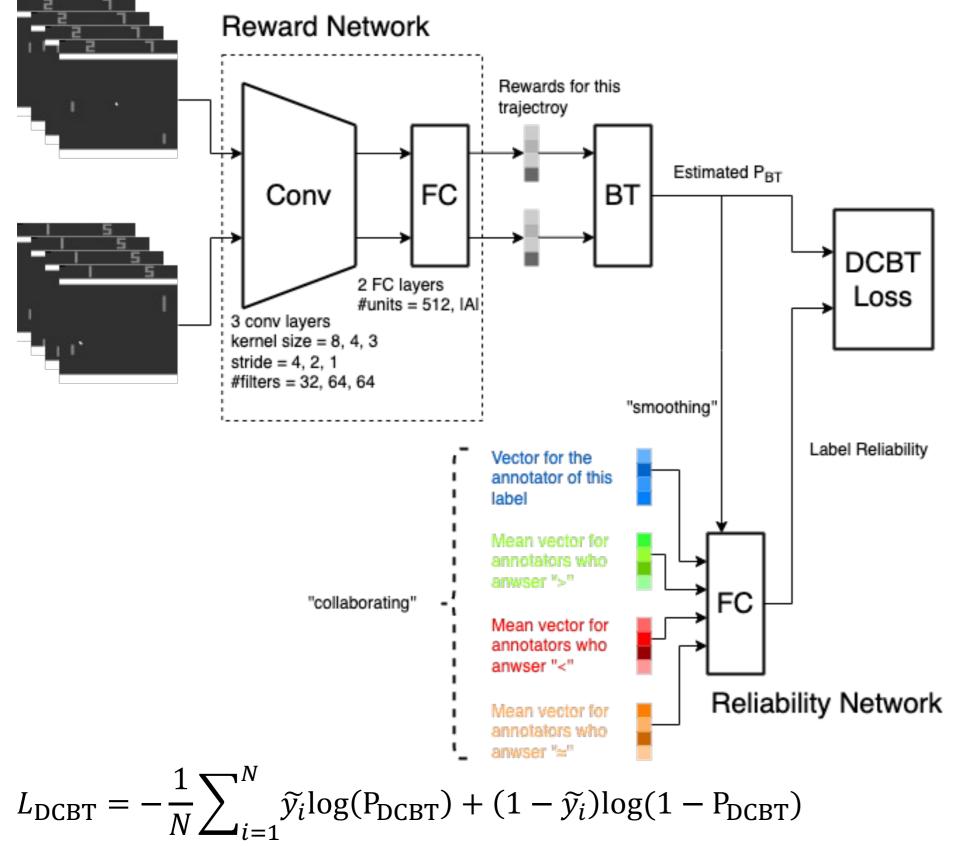
 $\widetilde{y_i} \qquad \qquad \widetilde{y_i} = 1 \text{ if } \eta_{i,1} \succ \eta_{i,2}, \ \widetilde{y_i} = 0.5 \text{ if } \eta_{i,1} \approx \eta_{i,2}, \text{ and } \widetilde{y_i} = 0 \\ \text{otherwise.}$

 $P_{\text{DCBT}}(\eta_{i,1} > \eta_{i,2}) = \left[\alpha_{i} P_{\text{BT}}(\eta_{i,1} > \eta_{i,2}) + (1 - \alpha_{i}) \left(1 - P_{\text{BT}}(\eta_{i,1} > \eta_{i,2}) \right) \right]$ $\alpha_{i} \text{ depends on three factors:} \qquad P_{\text{BT}}(\eta_{i,1} > \eta_{i,2}) = \sigma \left(G(\eta_{i,1}) - G(\eta_{i,2}) \right)$

- w
- $P_{BT}(\eta_{i,1} \succ \eta_{i,2})$
- Other labels for the same pair of trajectories and the corresponding annotators

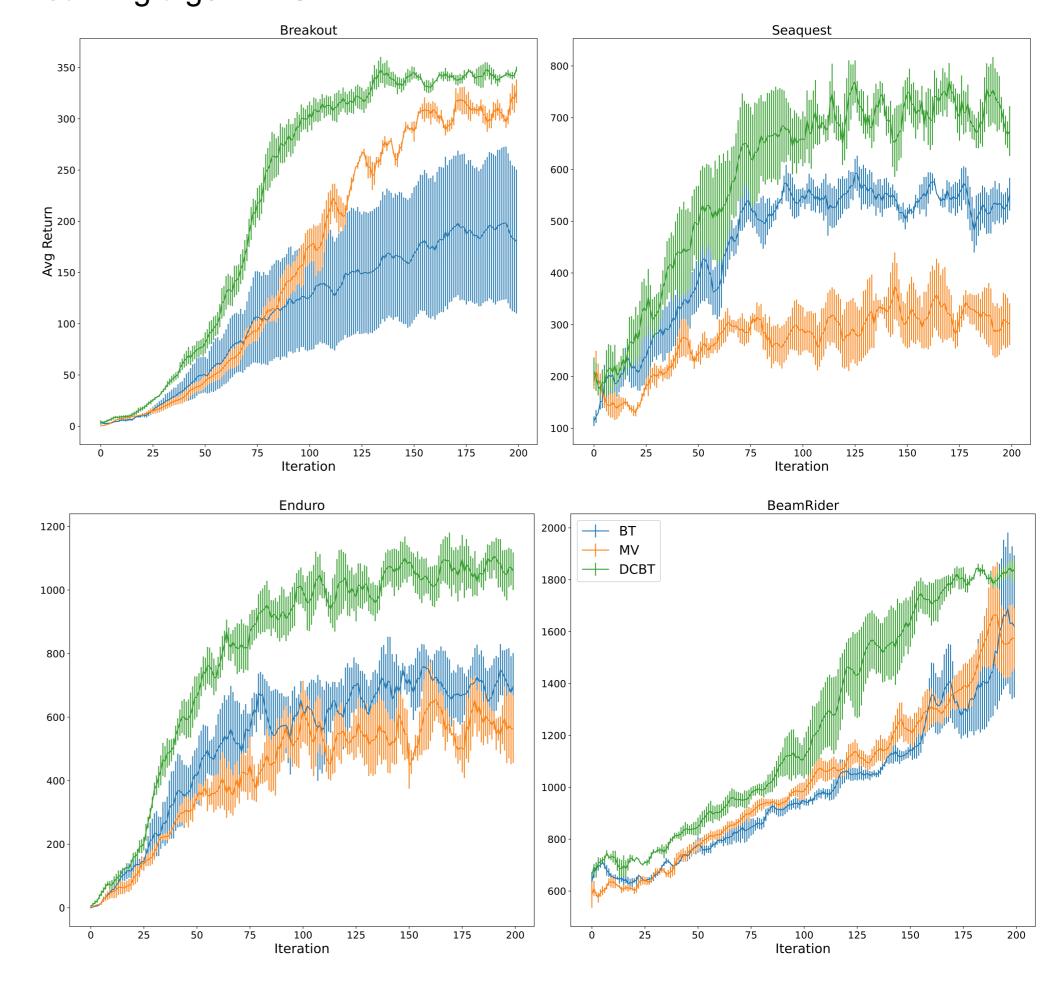
 $G(\eta) = \frac{1}{|\eta|} \sum_{(s,a) \in \eta} R(s,a)$

Without noise, the trajectory with larger average reward is preferred.



Conc

For each dataset, learn rewards from the generated preferences, and then learn policies using the quantile-regression DQN algorithm. The quality of learned policies reflects the performance of reward learning algorithms.



Conclusion

- MV cannot consistently outperforms BT, due to the fact that only a small amount of labels can be collected for each preference query.
- DCBT outperforms MV, which justifies using estimated $P_{\rm BT}$ and ID of annotators for denoising.
- DCBT achieves consistently good performance on all the four datasets, which confirms its efficacy and applicability.

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